## Angles at a point

WALT calculate angles at a point
Success Criteria I know angles at a point add to 360 degrees

When two lines cross, different angles are formed, like in this example.

- Is there another $60^{\circ}$ angle? Why?
- What is the size of one of the obtuse angles? How did you work this out?
- Are there any straight angles in the diagram?
- Are there any reflex angles in the diagram?
- What is a revolution angle?



## Things I need to know

- Special pairs of angles at a point include:
- Complementary angles (sum to $90^{\circ}$ )

- Angles in a revolution sum to $360^{\circ}$.
- Vertically opposite
angles (equal)


1 Write the missing word.
a Angles that add to $90^{\circ}$ are called $\qquad$ angles.
b Angles that add to $180^{\circ}$ are called $\qquad$ angles.
c If two lines meet at right angles $\left(90^{\circ}\right)$, then they are said to be $\qquad$ .
d Vertically opposite angles are $\qquad$ -
2 What type of angle are the following?
a $27^{\circ}$
b $317^{\circ}$
c $180^{\circ}$
d $90^{\circ}$
e $360^{\circ}$
f $139^{\circ}$

Choose from: acute, right, obtuse, straight, reflex or revolution.

3 Complete these sentences for this diagram.
a $b$ and $c$ are $\qquad$ angles.
b $\quad a$ and $e$ are $\qquad$ angles.
c $a, b, c, d$ and $e$ form a $\qquad$ .


4 Estimate the size of these angles.
a $\angle A O B$
b $\angle A O C$
c Reflex $\angle A O E$


## Example 1 Naming angles

Name the angle which is:
a vertically opposite to $\angle D O E$
b complementary to $\angle C O B$
c supplementary to $\angle E O A$


## Solution

Explanation
a $\angle A O B$
$\angle D O E$ and $\angle A O B$ are equal and sit opposite each other.
b $\angle B O A$
$\angle C O B$ and $\angle B O A$ add to $90^{\circ}$.
c $\angle D O E($ or $\angle A O B)$
Pairs of angles on a straight line are supplementary (add to $180^{\circ}$ ).

5 Name an angle which is:
a vertically opposite to $\angle D O E$.
b complementary to $\angle C O B$.
c supplementary to $\angle E O A$.


Vertically opposite angles are opposite and equal. Complementary angles add to $90^{\circ}$. Supplementary angles add to $180^{\circ}$.

## Example 2 Finding angles at a point

Determine the value of the pronumerals in these diagrams.


## Solution

a $a+30=90$
$a=60$
$b+90=360$
$b=270$
b $a+65=180$
$a=115$
$b=65$
b


## Explanation

$a$ and $30^{\circ}$ make a complementary pair of angles adding to $90^{\circ}$.
Angles in a revolution add to $360^{\circ}$.
$a$ and $65^{\circ}$ make a supplementary pair of angles adding to $180^{\circ}$.
$b$ is vertically opposite the $65^{\circ}$ angle.

6 State the value of the pronumeral (letter) in these diagrams.
a

b

c

d

e

f


7 Determine the unknown angles marked in these diagrams.
a

d

b

c

e

f

Angles in a right angle add to $90^{\circ}$. Angles on a straight line add to $180^{\circ}$. Angles in a revolution add to $360^{\circ}$.
g

h

i


## Check your answers

1 a complementary
c perpendicular
2 a acute
d right
b reflex
e revolution $f$ obtuse
3 a complementary
c revolution
4 a $40^{\circ}$
b $110^{\circ}$
c $220^{\circ}$

5 a $\angle A O B \quad$ b $\angle B O A($ or $\angle D O E)$
c $\angle A O B$ (or $\angle E O D)$
6 a 45
b 130
C 120
d 240
e 90
f 180

