## Properties of Real Numbers

Number Properties

- Recognise that there are number properties and that these describe the behavior of number operations.
- Understand that a generalisation of an important idea can be expressed using letters (variables).
- Describe the commutative property of addition and the commutative property of multiplication, name and apply these.
- Describe the associative property of addition and the associative property of multiplication, name and apply these.
- Describe the distributive property of multiplication over addition, and name and apply this property.
- Recognise how number properties are 'useful' in their own mathematics.


## Commutative Property of Addition and Multiplication

a.b=b.a

Eg: $3 \times 4=4 \times 3=12$ ( Commutative Property of Multiplication)
Two numbers are multiplied in either order and you get the same product.
$a+b=b+a$
Eg: 5+6=6+5=11 (Commutative Property of Addition)
Two numbers are added in one order and when you change the order and add the same numbers you still get the same sum.

## Associative Property of Addition

You can group numbers together in any way, add them together, and the sum will be the same.
$a+(b+c)=(a+b)+c$
Eg: $3+(4+2)=(3+4)+2=9$

## Associative Property of Multiplication

You can group numbers in any way, multiply them together, and the product is the same product.
a.(b.c)=(a.b).c

Eg: $3 x(4 \times 5)=(3 \times 4) \times 5=60$

## Distributive Property

You can multiply a sum, or you can 'multiply each addend of that sum separately, and the products will be the same.
$a(b+c)=a . b+a . c$
Eg: $3(4+5)=3 \times 9=3 \times 4+3 \times 5=27$

Name the Property and the missing Number

- $\square+235=235+17$
- $25 \times \square=7 \times 25$
- $(125+16)+\square=125+16+17$
- $(15 \times \square) \times 10=15 \times(2 \times 10)$
- $8 \times(19+3)=(\square \times 19)+(8 \times 3)$


## Questions

- $5 a+(2 a+6)=(5 a+2 a)+6$
- $8 x+4=4+8 x$


## Additive Inverse \& Identity

a-a= 0 ( Additive Inverse)
Show this Property on a Number line in your books.
$a+0=a$

Show the above property on a Numberline.

